

Ocean Primary Production - observations and modelling

Nimit Kumar



Training programme on

“Remote Sensing of Marine Phytoplankton - optics, pigment and taxonomy”

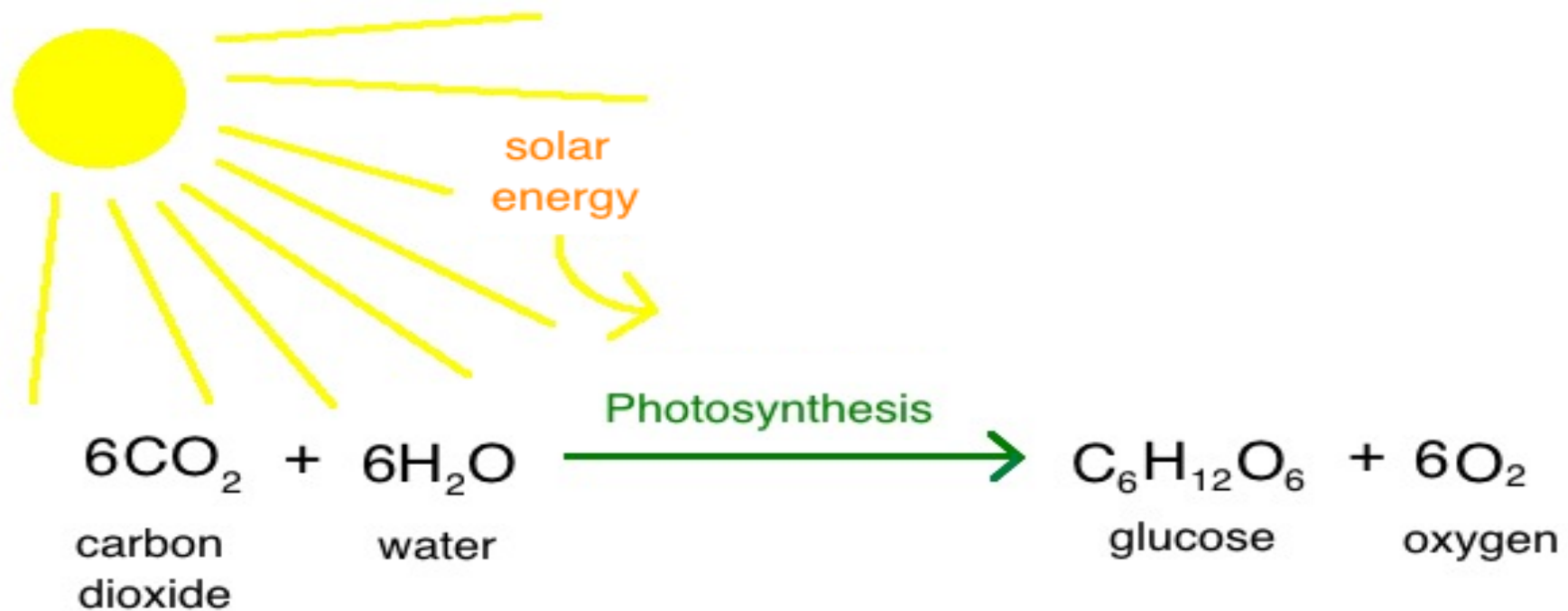
ITCOOcean (INCOIS), Hyderabad

March 23, 2018

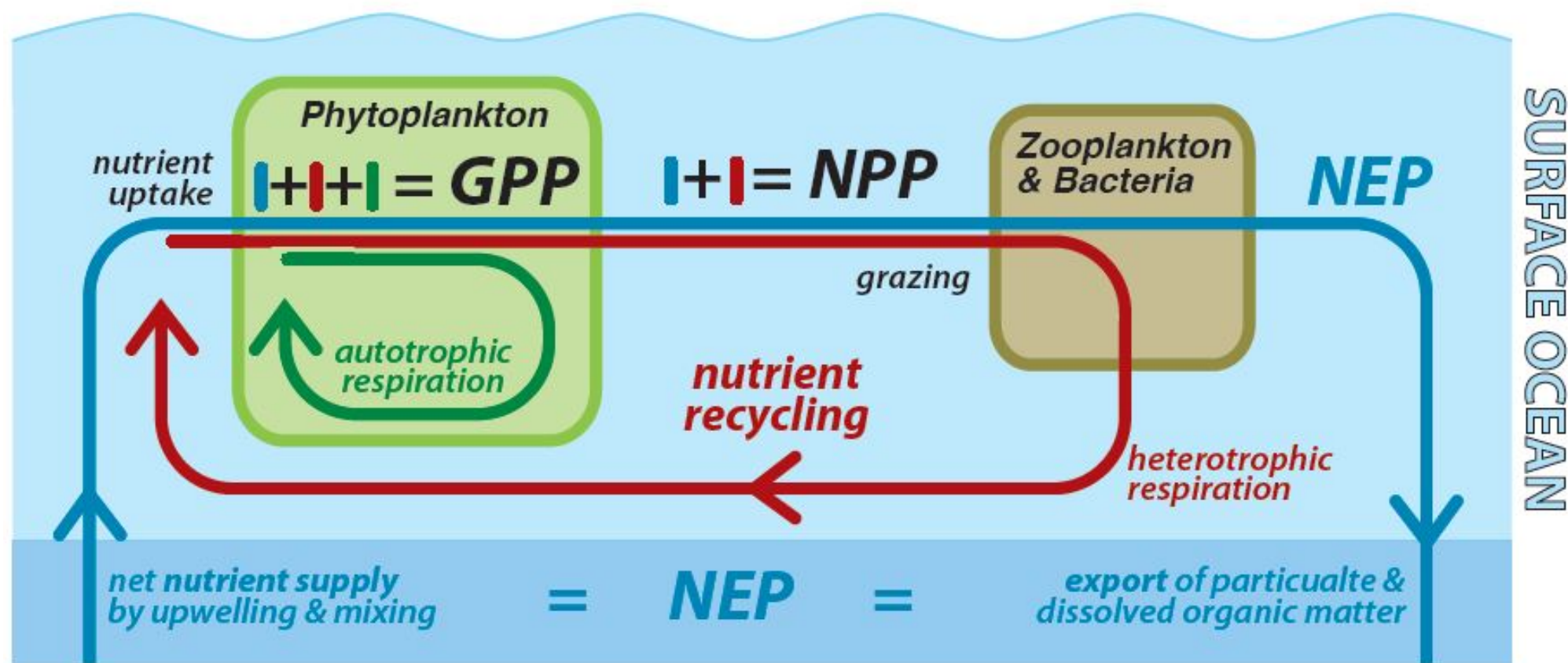
Special Thanks: Aneesh L., Satya P.

Gist

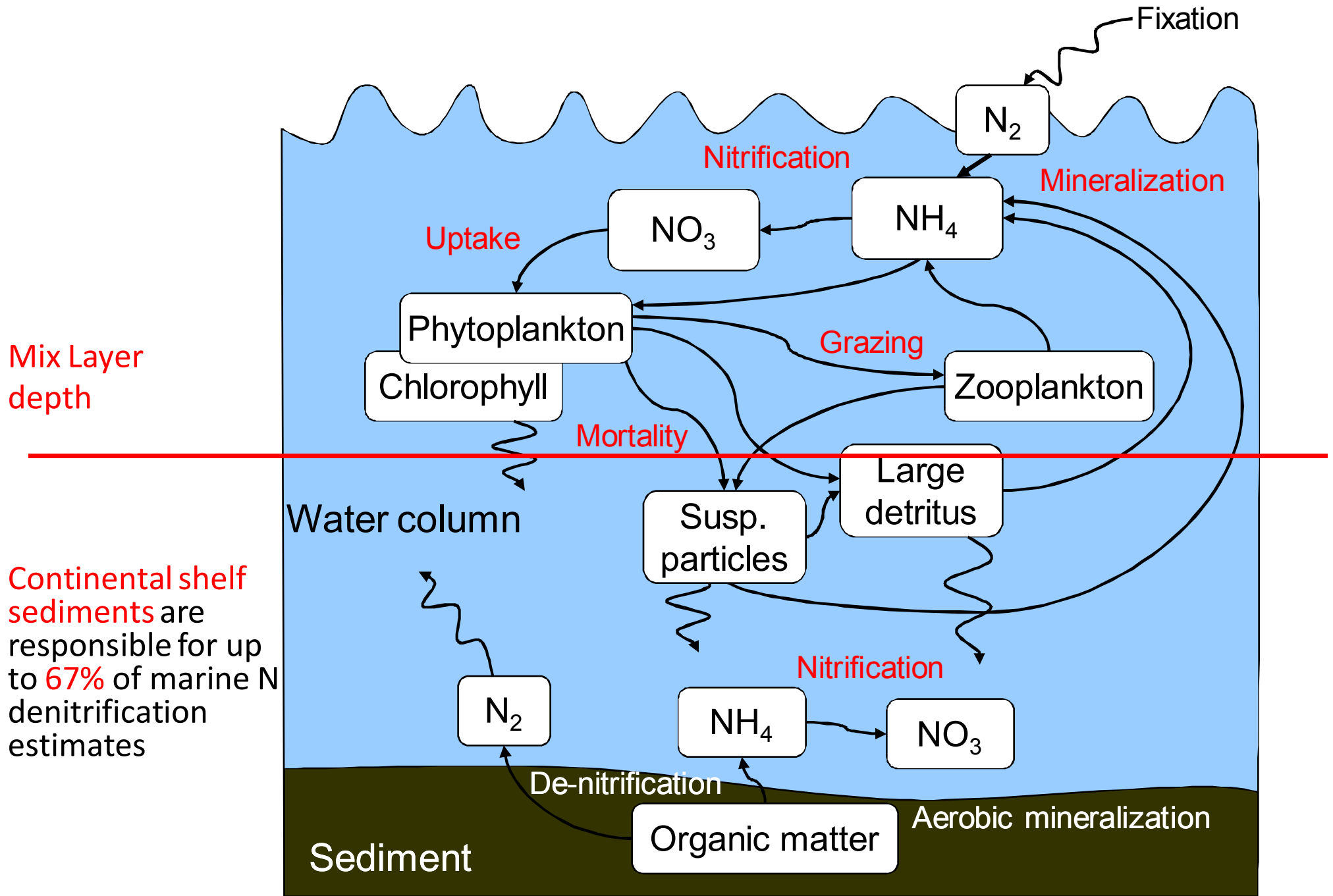
- Carbon cycle
- Ocean Primary Productivity
- PFT
- Remote Sensing
- Applications



- ✓ Primary Productivity is the rate at which light energy or inorganic chemical energy is converted to the chemical energy of organic compounds by autotrophs in an ecosystem.
- ✓ In the ocean, photosynthesis is performed by phytoplankton in the sunlit or euphotic zone.
- ✓ This process takes carbon dioxide and water and combines them with the help of the energy contained in sunlight creates a monosaccharide and oxygen



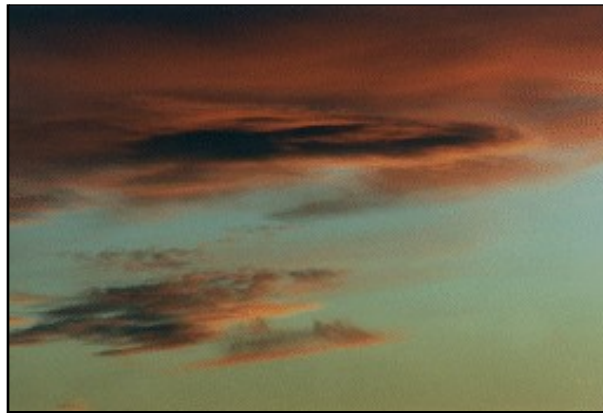
- ✓ “Gross primary production” (GPP) refers to the total rate of organic carbon production by autotrophs
- ✓ “respiration” refers to the energy-yielding oxidation of organic carbon back to carbon dioxide.
- ✓ “Net primary production” (NPP) is GPP minus the autotrophs’ own rate of respiration; it is thus the rate at which the full metabolism of phytoplankton produces biomass.



De-nitrification – the removal of fixed N, mostly NO_3^- , resulting in the formation of nonbiologically available N, primarily N_2 gas

Partition of Anthropogenic Carbon Emissions into Sinks [2000-2006]

45% of all CO_2 emissions accumulated in the atmosphere



55% were removed by natural sinks

Ocean removes ~ 24%



Land removes ~ 30%



How?

Primary Productivity (conti.)

1) Light/Dark Bottle Method

- Calculate DO in both bottles at $t=t_0$, $t=t_1$
- $GPP = (DO_{t_1}^{light} - DO_{t_1}^{dark}) / (t_1 - t_0)$
- $NPP = (DO_{t_1}^{light} - DO_{t_0}^{light}) / (t_1 - t_0)$
- Quick but only an estimation (based on O_2 consumption)

2) Nitrogen/Carbon isotop method

- Inoculate C^{13}/C^{14} (DIC), various light-levels, temp. regulation
- Filter samples, flush excess isotops, POC retained on filter paper
- Measure ratio to C^{12} with IRMS/Mw-IRMS, highly precise

C-13 method

Similar to N-15 in principle

$\text{NaH}^{13}\text{CO}_3$ is used as a salt to prepare tracer

^{13}C atom% is 99

Carbon has three isotopes: 12, 13 and 14

12 and 13 are stable, 14 is radio-active

Abundance: $^{13}\text{C} = 1.2\%$; $^{12}\text{C} = 98.8\%$

^{14}C is not found naturally due to its small half life; whatever available is produced artificially

Tracer addition is again 10% of the ambient; average concentration dissolved carbon in sea water is $2\mu\text{M}$, so $0.2\mu\text{mole/l}$ should be added

Should be incubated for 12 hours,

Preservation analysis and calculation are similar to that of N-15

Can be used to generated P-I curve efficiently

C-14 method

14C Method

- Inoculate samples with 14C sodium bicarbonate
- Incubate 2-3 hours
- Filter samples on GF/F filters,
- Acidify filters to get rid of the inorganic carbon
- Count 14C using scintillation counter
- Normalise to Initial available 14C

1-Sampling Preparation

- Rinse culture bottles with milli-Q water
- Can be washed using acid bath but should be copiously rinsed, acid would degrade chlorophyll-a

2-laboratory analyses,
before starting the incubation

- Fill culture bottles with sample
- Install bottles in the incubator + 2 dark bottles
- Inoculate each bottle with 5ml of 14C
- Put caps on bottles
- Close the incubator
- wrap dark bottles in aluminum foil and place in water bath
- Turn on lamp from slide projector
- note start time

2-laboratory analyses,
before starting the incubation (con't)

- prepare the standards:
 - Mix 5ml of ^{14}C to 100ml of sample
 - Put 1ml of this mix in 3 scintillation vial
 - Fix with 1ml of hyamine hydroxyde,
 - Add 10ml of scintillation cocktail
 - Count as soon as possible

3-Laboratory analyses, after incubation

- turn off lamp and note end time
- Filter each bottle on a GF/F glass fiber filter (0.7mm)
- Put each filter on a tray
- Go outside and acidify the filter with 1 drop of HCl acid
- Put the filters in scintillation vial
- Add 10 ml of scintillation cocktail
- Let sit in the scintillation counter over night
- Count after 24 hours or more (very stable)

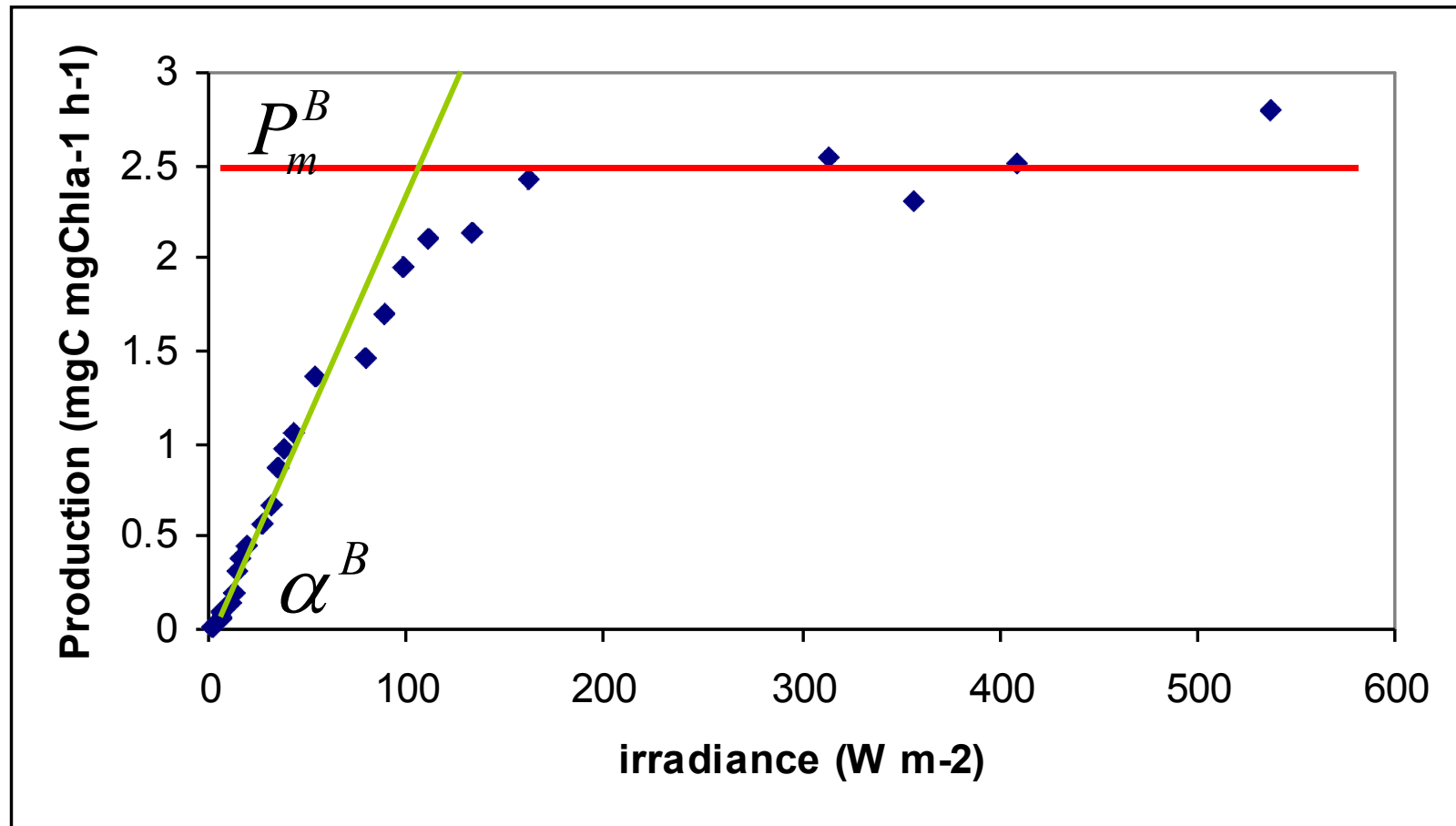
4-data processing

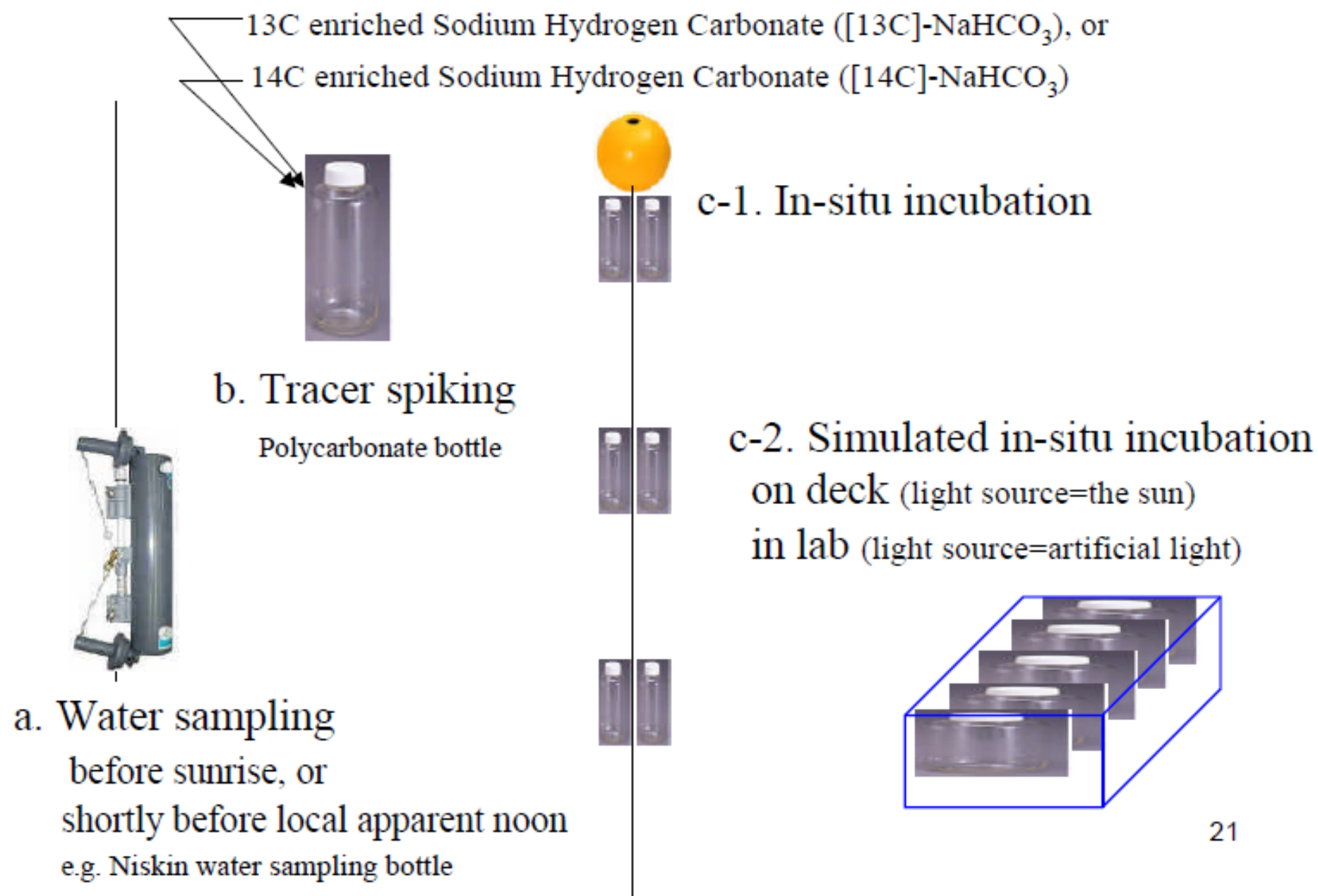
- Production is calculated from:

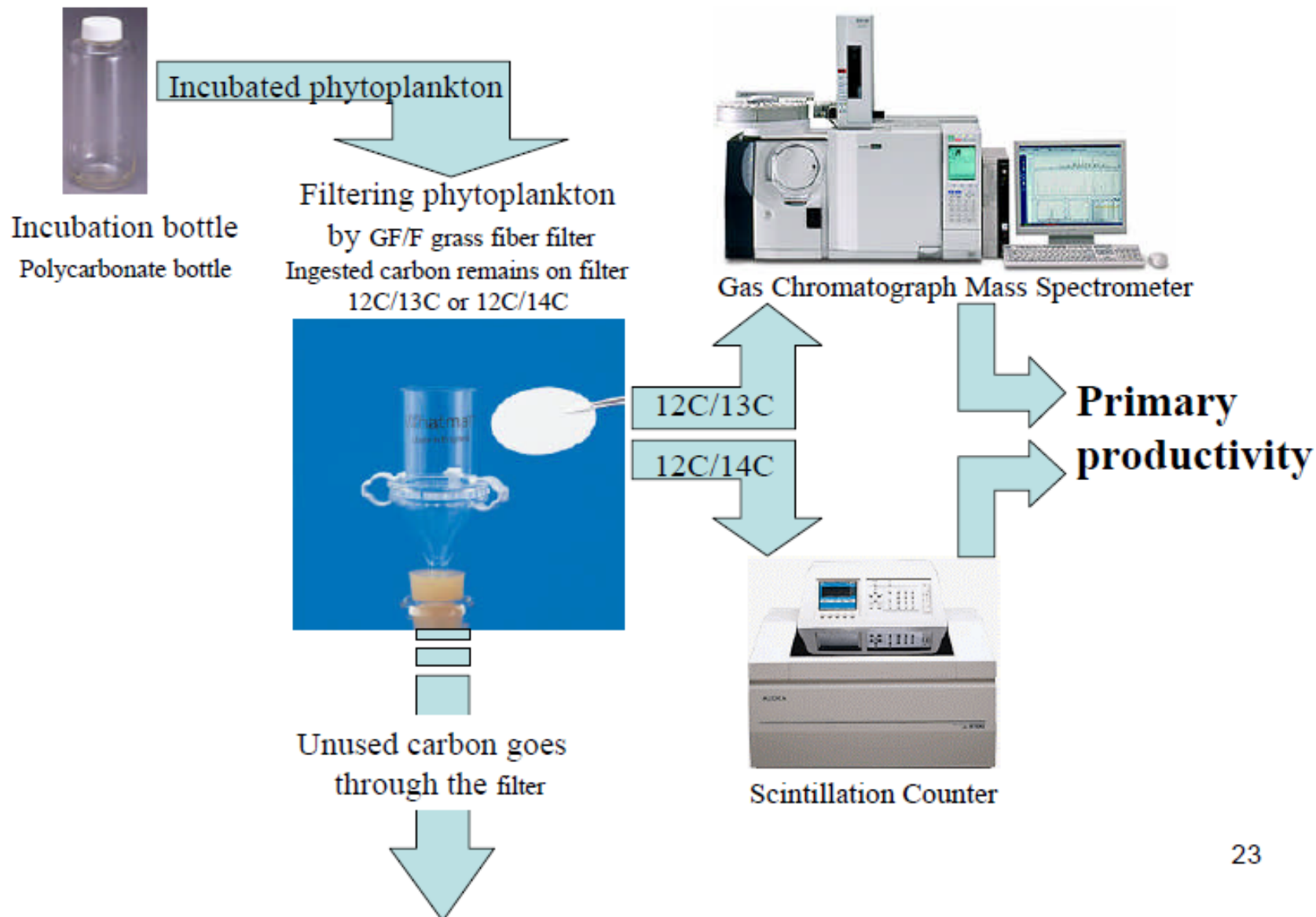
$$P = \frac{DPM_S - DPM_D}{DPM_{ST}} \times 12000 \times \text{alkalinity} \times 1.05 \times T$$

- where
 - DPM_S is the count for sample
 - DPM_D is the count for dark
 - DPM_{ST} is the count for standard
 - *alkalinity* equals 2 in salt water
 - T is time of incubation

Production-light relationship







modeling P-E relationship

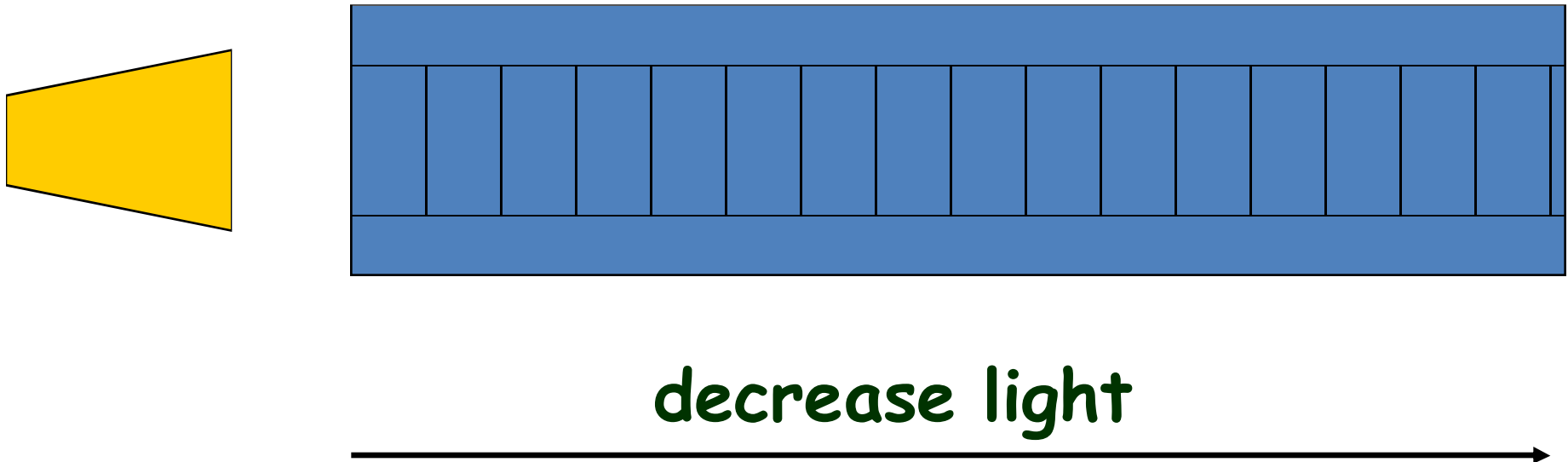
$$P^B = P_m^B [1 - \exp(-\alpha^B E / P_m^B)]$$

Platt et al. 1980

measurements

- P-E curve
 - Light gradient incubator
 - ^{14}C method
 - 2-3h incubation

light gradient Incubator



I. Wavelength-resolved models (WRMs)

$$\sum PP = \int_{\lambda=400}^{700} \int_{t=\text{sunrise}}^{\text{sunset}} \int_{z=0}^{Z_{eu}} \Phi(\lambda, t, z) \times \text{PAR}(\lambda, t, z) \times \text{Chl}(z) \, d\lambda \, dt \, dz - R$$

- ✓ WRM convert absorbed radiation i.e. Photosynthetically Utilizable Radiation (PUR) into net photosynthesis using a suit of empirical quantum efficiency models based on photosynthesis-irradiance variables

II. Wavelength-integrated models (WIMs)

$$\sum PP = \int_{t=\text{sunrise}}^{\text{sunset}} \int_{z=0}^{Z_{eu}} \varphi(t, z) \times \text{PAR}(t, z) \times \text{Chl}(z) \, dt \, dz - R$$

- ✓ WIM eliminated wavelength dependencies and NPP is described as a function of PAR rather than PUR and calculated by integrating PAR dependent photosynthesis-irradiance function over depth and time

II. Time-integrated models (TIMs)

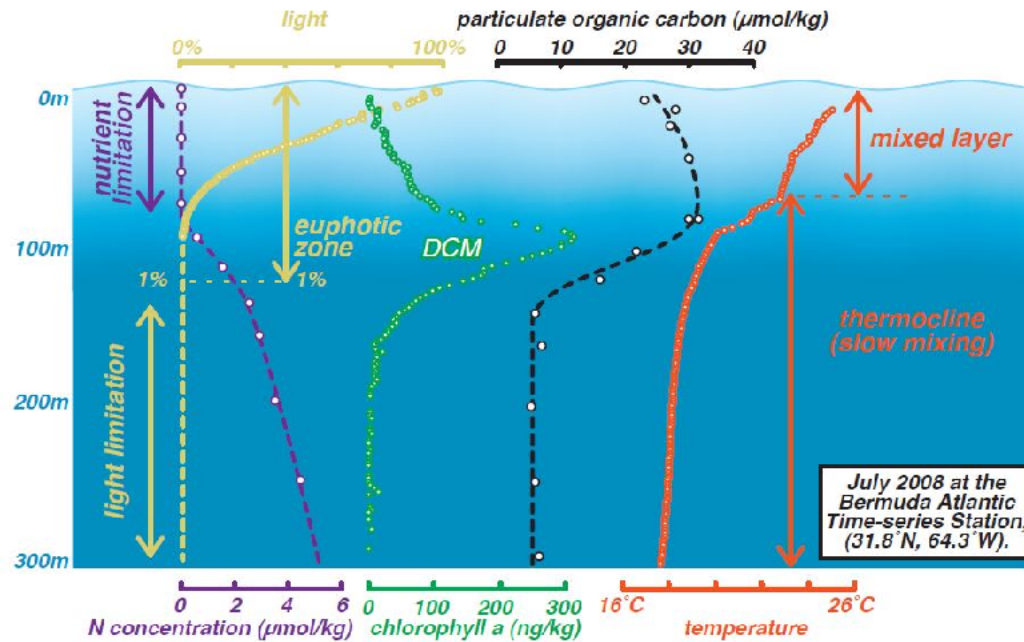
$$\sum PP = \int_{z=0}^{z_{eu}} P^b(z) \times PAR(z) \times DL \times Chl(z) \, dz$$

- ✓ TIM eliminates time-dependent resolution in solar irradiance. TIM intrinsically integrate a range of photosynthetic rates into a single productivity value.

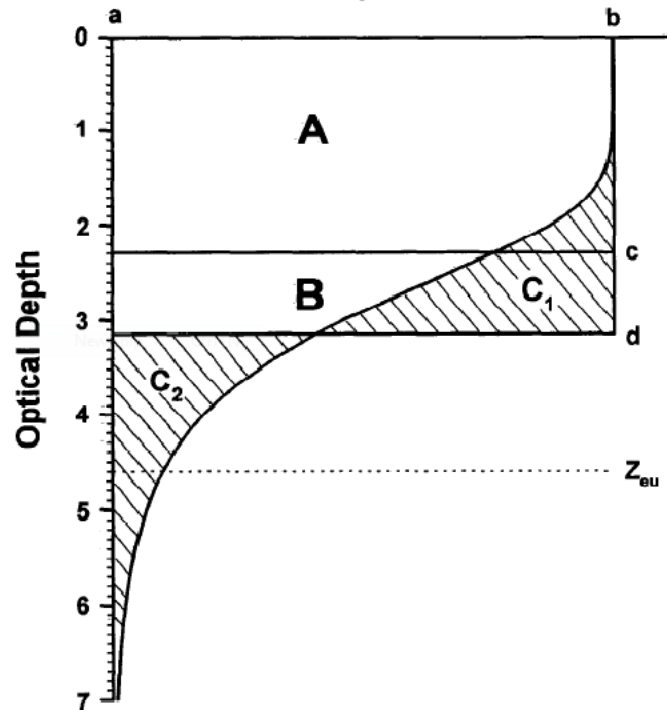
IV. Depth-integrated models (DIMs)

$$\sum PP = P^b_{opt} \times f[PAR(0)] \times DL \times Chl \times Z_{eu}$$

- ✓ DIM includes all models lacking any explicit description of the vertically resolved component found in TIM, WRM and WIM.



Net Primary Production



$$\int_{z=0}^{\infty} P_z = \frac{P_{\text{opt}}^b \times C_{\text{surf}} \times DL}{k_d} \times [\ln(E_0/E_k) + 0.82].$$

$$P_{\text{opt}}^B = -3.27 \times 10^{-8} T^7 + 3.4132 \times 10^{-6} T^6 - 1.348 \times 10^{-4} T^5 + 2.462 \times 10^{-3} T^4 - 0.0205 T^3 + 0.0617 T^2 + 0.2749 T + 1.2956.$$

$$P^B(I) = p^B(I; \alpha^B, P_m^B),$$

Table 1. Some commonly-used, two-parameter representations of the P^B vs I curve, with references to their first appearance in the phytoplankton literature. The function p^B is defined by the equation $P^B = p^B(I; \alpha^B, P_m^B)$. Also given, in the third column, is the equivalent function expressed in terms of the dimensionless irradiance, $I_* = I/I_k$, where $I_k = P_m^B/\alpha^B$.

Reference	$p^B(I)$	$p^B(I_*)$
Blackman 1905	$\alpha^B I$ for $I \leq I_k$; P_m^B otherwise	$P_m^B I_*$ for $I_* \leq 1$; P_m^B otherwise
Smith 1936	$\frac{\alpha^B I}{\sqrt{1 + (\alpha^B I/P_m^B)^2}}$	$\frac{P_m^B I_*}{\sqrt{1 + I_*^2}}$
Tamiya 1951 †	$\frac{P_m^B \alpha^B I}{P_m^B + \alpha^B I}$	$\frac{P_m^B I_*}{1 + I_*}$
Jassby & Platt 1976	$P_m^B \tanh(\alpha^B I/P_m^B)$	$P_m^B \tanh(I_*)$
Platt <i>et al.</i> 1980 ¶	$P_m^B (1 - \exp(-\alpha^B I/P_m^B))$	$P_m^B (1 - \exp(-I_*))$

Table 1. Some commonly-used, two-parameter representations of the P^B vs I curve, with references to their first appearance in the phytoplankton literature. The function p^B is defined by the equation $P^B = p^B(I; \alpha^B, P_m^B)$. The equations are given in their non-spectral form, $p^B(I)$, and their spectral equivalents $p^B(I(\lambda))$.

Reference	$p^B(I)$	$p^B(I(\lambda))$
Blackman 1905	$\begin{cases} \alpha^B I, & \text{for } I \leq I_k; \\ P_m^B, & \text{for } I > I_k. \end{cases}$	$\begin{cases} \int \alpha^B(\lambda) I(\lambda) d\lambda, & \text{for } I \leq I_{k,\lambda}; \\ P_m^B, & \text{for } I > I_{k,\lambda}. \end{cases}$
Smith 1936	$\frac{\alpha^B I}{\sqrt{1 + (\alpha^B I / P_m^B)^2}}$	$\frac{\int \alpha^B(\lambda) I(\lambda) d\lambda}{\sqrt{1 + [(1/P_m^B)(\int \alpha^B(\lambda) I(\lambda) d\lambda)]^2}}$
Tamiya 1951 †	$\frac{P_m^B \alpha^B I}{P_m^B + \alpha^B I}$	$\frac{P_m^B \int \alpha^B(\lambda) I(\lambda) d\lambda}{P_m^B + \int \alpha^B(\lambda) I(\lambda) d\lambda}$
Jassby & Platt 1976	$P_m^B \tanh(\alpha^B I / P_m^B)$	$P_m^B \tanh\left((1/P_m^B) \int \alpha^B(\lambda) I(\lambda) d\lambda\right)$
Platt <i>et al.</i> 1980 ¶	$P_m^B (1 - \exp(-\alpha^B I / P_m^B))$	$P_m^B \left(1 - \exp\left(-(1/P_m^B) \int \alpha^B(\lambda) I(\lambda) d\lambda\right)\right)$

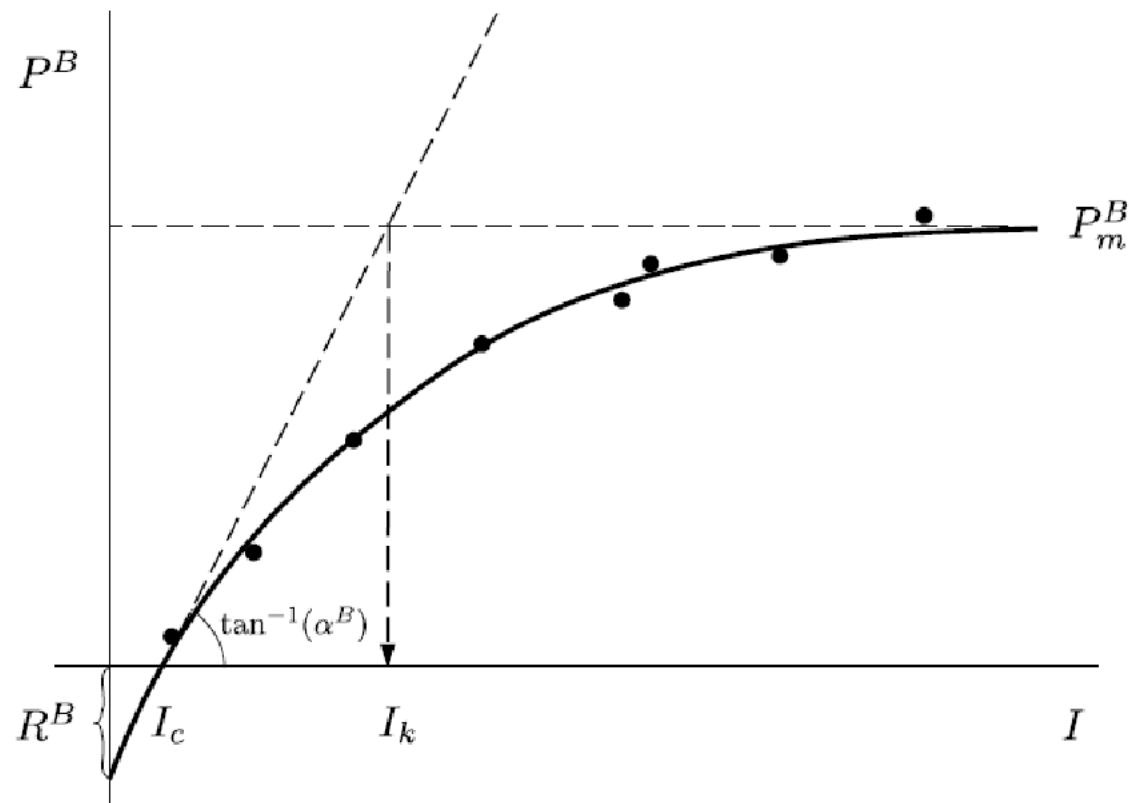
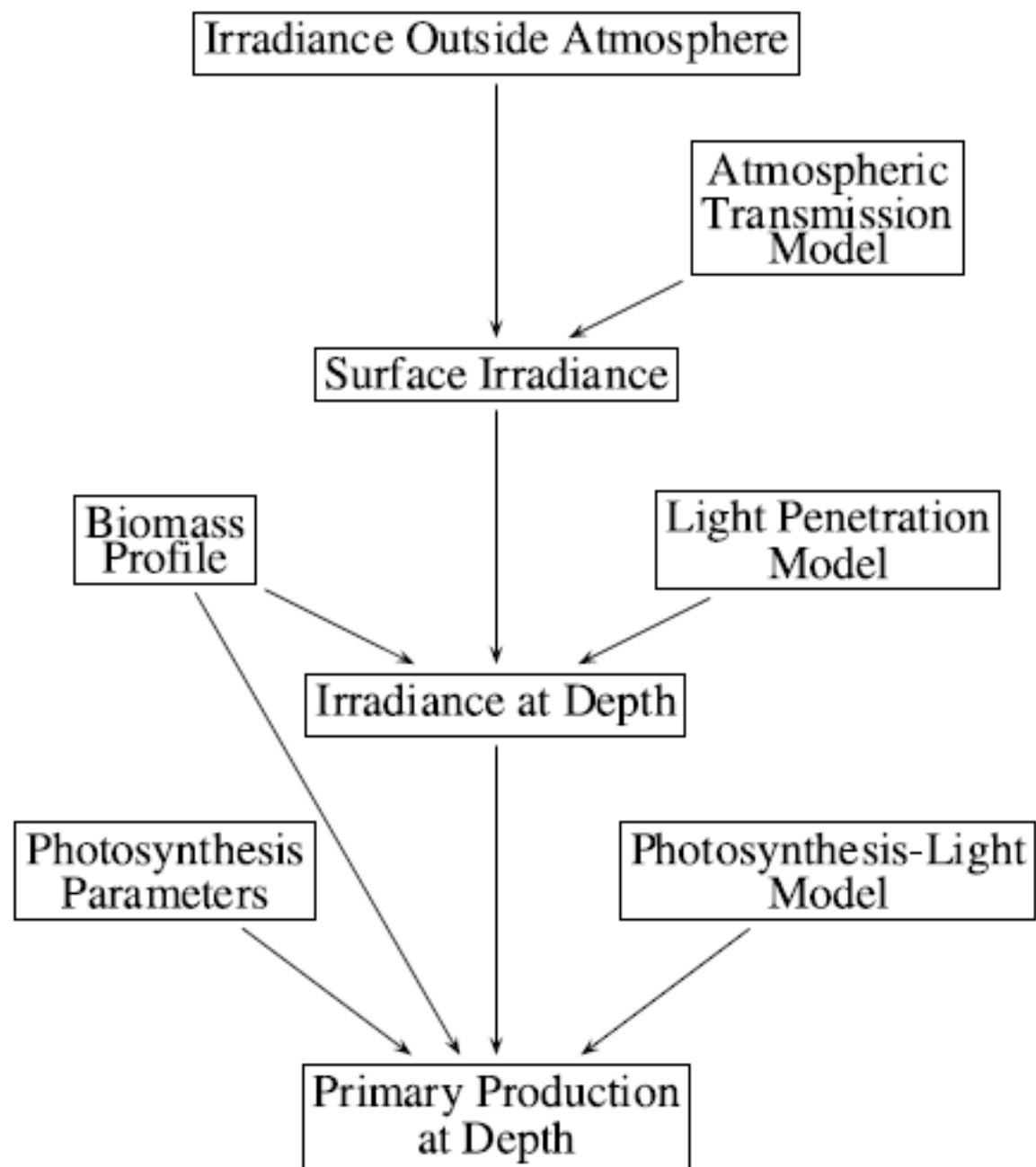


Figure 1. The photosynthesis – light curve (solid line) as fitted to imaginary experimental data (solid circles). The broken lines are construction lines to show the meaning of the parameters.

$$R^B = 0, \text{ we have } P_m^B / I_k = \alpha^B, \quad I_k = P_m^B / \alpha^B$$

$$I_* = I / I_k = \alpha^B I / P_m^B$$



PP modeling

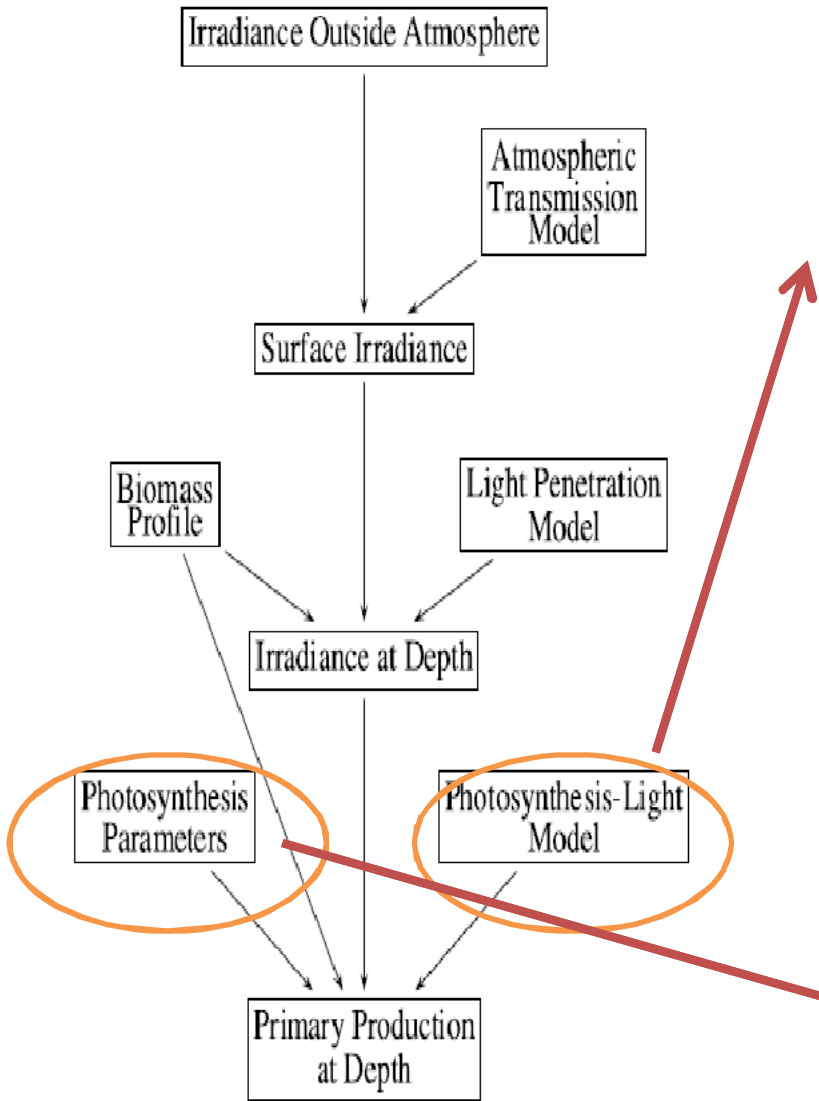


Figure 1. A flow chart describing the steps involved in computation of primary production at depth in the water column, using a light-dependent model of primary production. A number of possibilities exist for the execution of each of the steps involved in the calculation, and the success of the venture will depend on careful selection of suitable protocols for each of the steps.

Table 1. Some commonly-used, two-parameter representations of the P^B vs I curve, with references to their first appearance in the phytoplankton literature. The function p^B is defined by the equation $P^B = p^B(I; \alpha^B, P_m^B)$. Also given, in the third column, is the equivalent function expressed in terms of the dimensionless irradiance, $I_* = I/I_k$, where $I_k = P_m^B/\alpha^B$.

Reference	$p^B(I)$	$p^B(I_*)$
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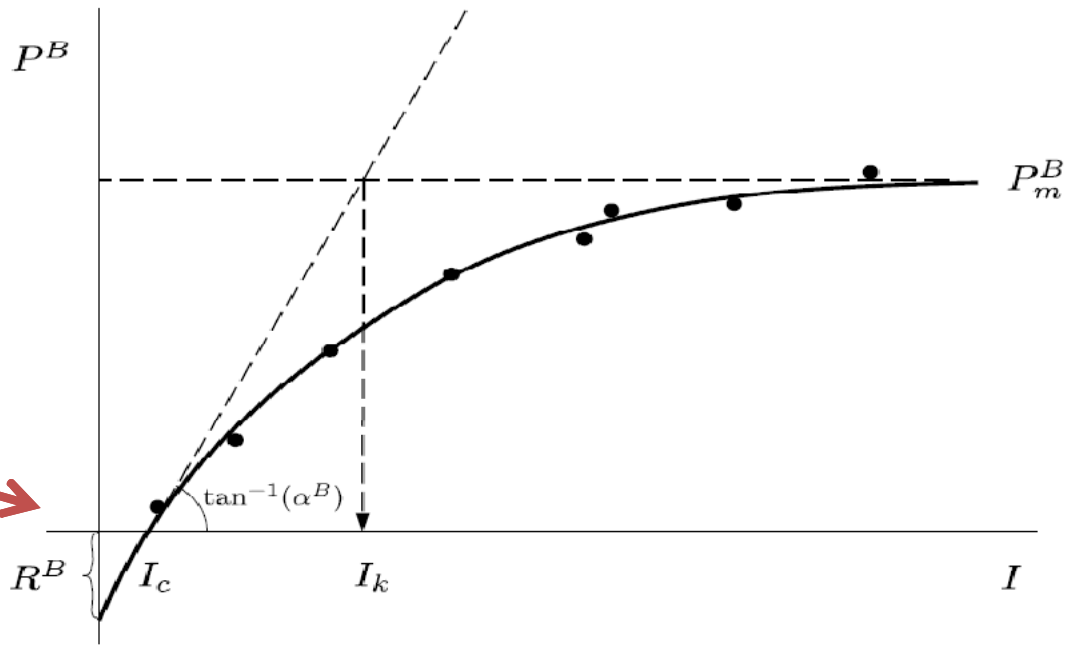
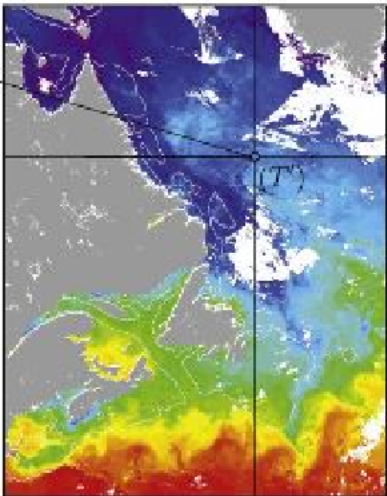
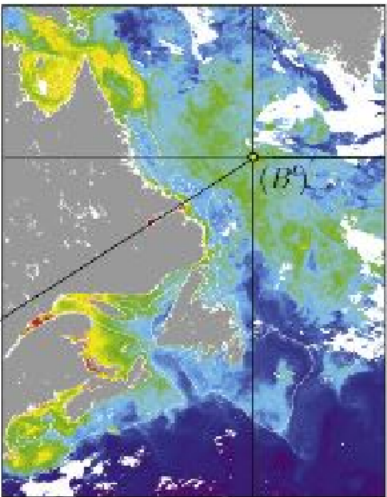
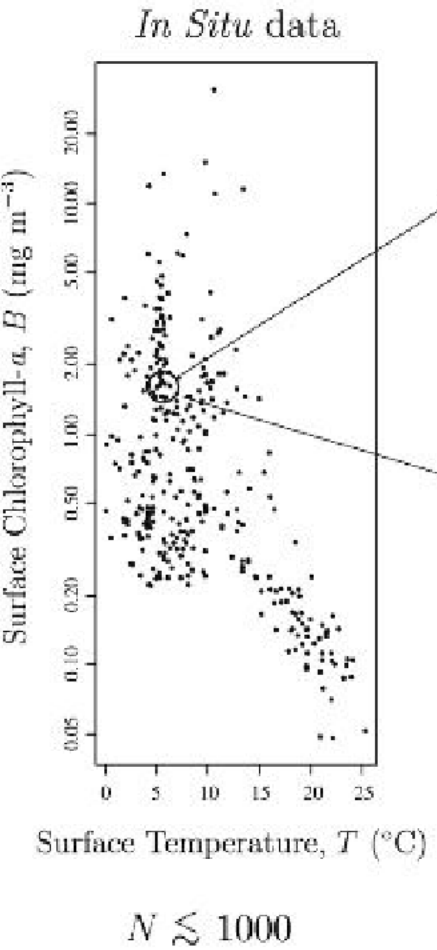


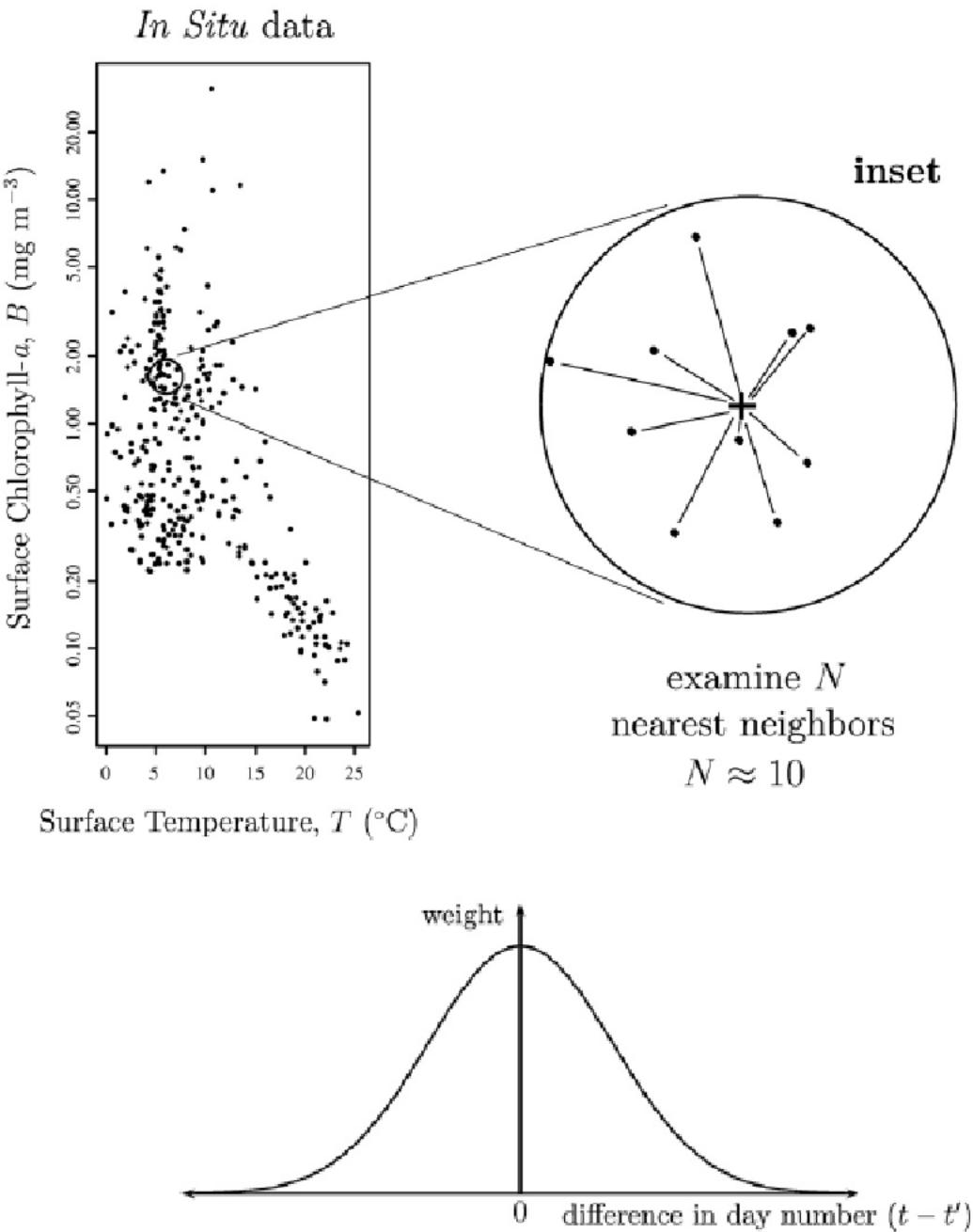
Figure 1. The photosynthesis – light curve (solid line) as fitted to imaginary experimental data (solid circles). The broken lines are construction lines to show the meaning of the parameters.

Bi-weekly composites

Archive of Field Data



Archive of Field Data





PRODUCTIVITY

<https://www.science.oregonstate.edu/ocean.productivity/>

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Welcome to the *Ocean Productivity* Home Page

The diversity of life on Earth is astonishing, yet most of the ecosystems you and I are familiar with share a common dependence on a miraculous process called *photosynthesis*. Photosynthesis uses the energy in sunlight to fix carbon dioxide (CO₂) into organic material. Aquatic and terrestrial photosynthetic plants use some of their newly formed carbon products immediately for energy and maintenance. The remaining photosynthetic products are available for plant growth or consumption by the heterotrophic community. We refer to this "available" carbon as *net primary production*, and it is equal to gross photosynthetic carbon fixation minus the carbon respired to support maintenance requirements of the whole plant.

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A consumer's guide to phytoplankton primary productivity models

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nature Education

The Biological Productivity of the Ocean

Daniel M. Sigman¹ & Mathis P. Hain^{1,2} © 2012 Nature Education

Productivity fuels life in the ocean, drives its chemical cycles, and lowers atmospheric carbon dioxide. Nutrient uptake and export interact with circulation to yield distinct ocean regimes.



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journal homepage: www.elsevier.com/locate/rse



ELSEVIER



Operational estimation of primary production at large geographical scales

Trevor Platt^a, Shubha Sathyendranath^b, Marie-Hélène Forget^{c,*}, George N. White III^a, Carla Caverhill^a, Heather Bouman^d, Emmanuel Devred^e, SeungHyun Son^{e,f}

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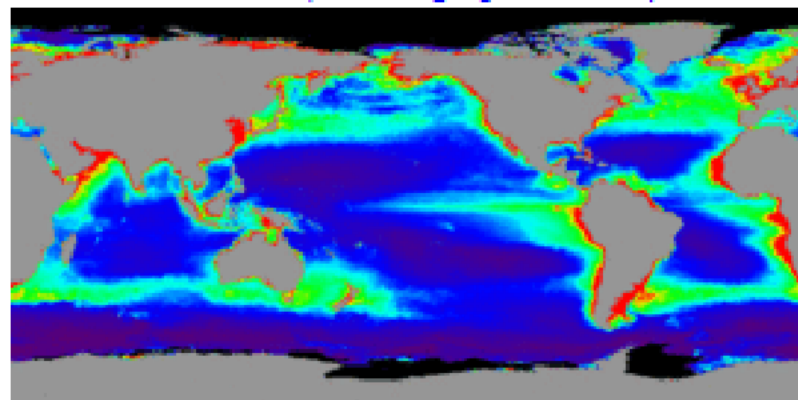
IEEE JOURNAL OF SELECTED TOPICS IN APPLIED EARTH OBSERVATIONS AND REMOTE SENSING

Estimation of Marine Primary Productivity From Satellite-Derived Phytoplankton Absorption Data

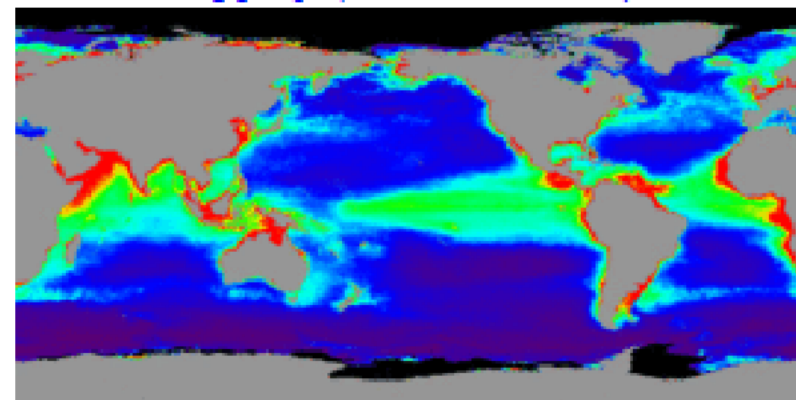
Sheng Ma, Zui Tao, Xiaofeng Yang, Member, IEEE, Yang Yu, Xuan Zhou, Wentao Ma, and Ziwei Li

Annual Net Primary Production for 2003

VGPM (chlorophyll based)



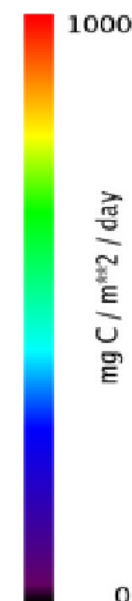
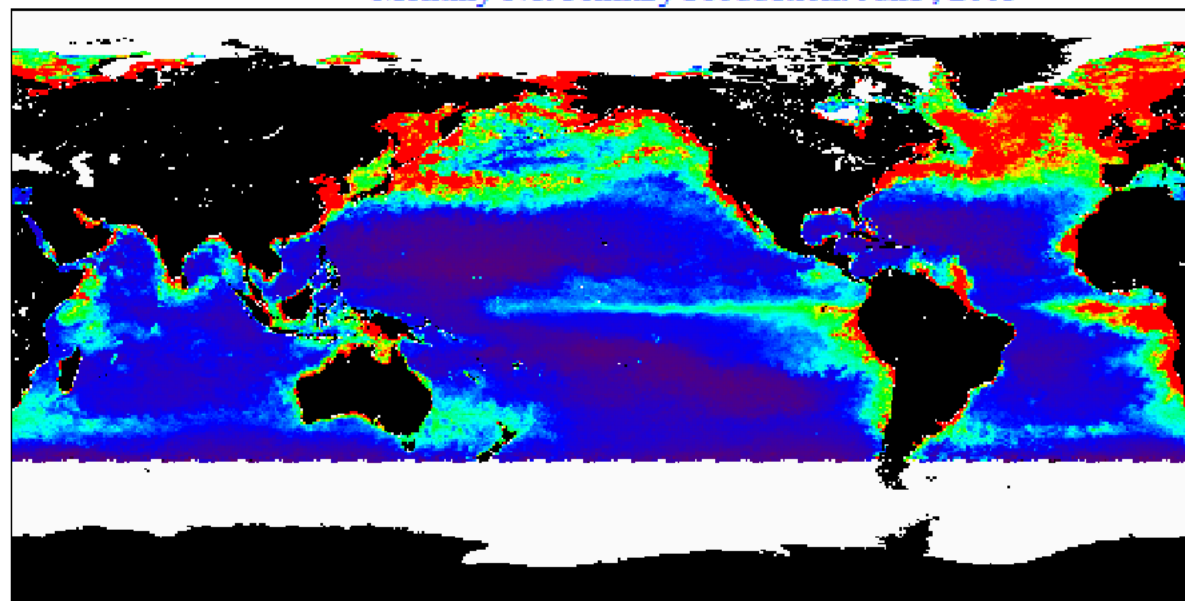
Eppley (VGPM variant)



pb_opt = *polynomial* function of SST

pb_opt = *exponential* function of SST

Monthly Net Primary Production: June , 2005



Standard Product: Net Primary Production using MODIS CHL and SST, SeaWiFS PAR, and $z_eu = f(CHL)$ as inputs to the VGPM